

# Computational Geometry Learning : (3 ECTS)

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## Home

### • How to contact us

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### • How to apply

### • Entrance requirements

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### • Management

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## The MPRI Programme

### • Organisation

This course is an introduction to the emerging field of Geometric and Topological Data Analysis. Fundamental questions to be addressed are : how can we represent complex shapes in high-dimensional spaces? how can we infer properties of shapes from samples? how can we handle noisy data? how can we walk around the curse of dimensionality?

## Practical information

### • Calendar and timetable

The course will be given in English, except if all participants speak French fluently. Slides and course notes are in English.

### • Internships

### • Scholarships

### • PhD grants

## Language

## Course planning

The course consists of 9 lectures of 2h40 each.

**Introduction** . [<http://www-sop.inria.fr/geometrica/courses/slides/mpri0-intro-2014.pdf>]

- 1. [11/09] Warm up: 2D convex geometry [<http://geometrica.saclay.inria.fr/team/Marc.Glisse/enseignement/mpri/geoalgo1.txt>] [<http://geometrica.saclay.inria.fr/team/Marc.Glisse/enseignement/mpri/geoalgo1.txt>] . [MG]
- 2. [18/09] Polytopes and Delaunay complexes (26/09). [<http://www-sop.inria.fr/geometrica/courses/slides/mpri2-Delaunay.pdf>] Weighted Delaunay . [<http://www-sop.inria.fr/geometrica/courses/slides/mpri3-weightedDT.pdf>] [JDB]
- 3. [25/09] Robustness and practical Delaunay computation [MG]
- 4. [02/10] Good meshes . [<http://www-sop.inria.fr/geometrica/courses/slides/4-good-triangulations.pdf>] [JDB]
- 5. [09/10] Distance functions . [<http://geometrica.saclay.inria.fr/team/Fred.Chazal/Teaching/DistanceFunctions.pdf>] [<http://geometrica.saclay.inria.fr/team/Fred.Chazal/Teaching/DistanceToMeasures.pdf>] [MG]
- 6. [16/10] Reconstruction of submanifolds . [<http://www-sop.inria.fr/geometrica/courses/slides/5b-mesh-generation.pdf>] [<http://www-sop.inria.fr/geometrica/courses/slides/6-submanifold-reconstruction.pdf>] [JDB]
- 7. [23/10] Topological persistence . [<http://geometrica.saclay.inria.fr/team/Fred.Chazal/Teaching/persistence.pdf>] [MG]

- 8. [30/10] Randomized algorithms [JDB]
- 9. [06/11] Multi-scale inference and applications [<http://geometrica.saclay.inria.fr/team/Fred.Chazal/Teaching/persistence2.pdf>] [MG]
- [27/11] exam

A related course and additional slides (in french) can be found at <http://www.college-de-france.fr/site/jean-daniel-boissonnat/course-2016-2017.htm> [<http://www.college-de-france.fr/site/jean-daniel-boissonnat/course-2016-2017.htm>]

## Prerequisite

All fundamental notions will be introduced.

## Bibliography

### Text books

- J-D. Boissonnat, F. Chazal and M. Yvinec, Geometric and Topological Inference, Cambridge University Press, to appear . [<https://hal.inria.fr/hal-01615863/>]
- J-D. Boissonnat and M. Yvinec, Algorithmic Geometry. Cambridge University Press, 1998.
- E. Edelsbrunner and J. Harer, Computational Topology, an introduction. AMS 2010.
- S. Har-Peled, Geometric Approximation Algorithms, American Mathematical Society, USA 2011
- Motwani and Raghavan, Randomized Algorithms, Cambridge University Press, 1995.

### Research papers

- J-D. Boissonnat, A. Ghosh. Manifold reconstruction using tangential Delaunay complexes. *Discrete Comput. Geom.*, 51: 221-267, 2014.
- F. Chazal, D. Cohen-Steiner, A. Lieutier. A Sampling Theory for Compacts in Euclidean Space, *Discrete Comput. Geom.*, 41:461-479, 2009.
- F. Chazal, D. Cohen-Steiner, Q. Mérigot. Geometric Inference for Probability Measures. *J. Foundations of Comp. Math.*, 2011, Vol. 11, No 6.
- F. Chazal, L. J. Guibas, S. Y. Oudot, P. Skraba. Persistence-Based Clustering in Riemannian Manifolds. *J. of the ACM*, Vol 60, No 6, article 41.

### On-going projects

- European Research Council (ERC): Advanced Grant GUDHI : Geometric Understanding in Higher Dimensions . [<https://project.inria.fr/gudhi/>]
- Agence Nationale de la Recherche (ANR) : TopData : Topological Data Analysis: Statistical Methods and Inference . [<http://geometrica.saclay.inria.fr/collaborations/TopData/Home.html>]

## Relevant courses

- [Algorithms and combinatorics for geometric graphs](#)
- [Computer Graphics and Scientific Visualization](#)

## Pedagogic team

Jean Daniel Boissonnat

Marc Glisse